

T. D. C. Part II
 Chemistry (Hons); Paper IV
 Physical Chemistry (Gr. A)
Thermodynamics

Entropy →

Clausius first introduced a new thermodynamical function called entropy and restated the second law in terms of it. Entropy is a real physical entity like mass and temp, but can not be felt like them. It defines adequately the thermodynamical state of any working substance. More important than this is that it differentiates two adiabatics or temp differentiates two isotherms. It is the single valued function of state and hence independent of how the state is reached. The change in entropy of a body depends only on the initial and final states and nothing else.

The figure shows three isotherms crossed by two adiabatics A-B. We get two Carnot cycles marked by (1) and (2). According to the Carnot's principle

$$\frac{Q_1}{T_1} = \frac{Q_2}{T_2}$$

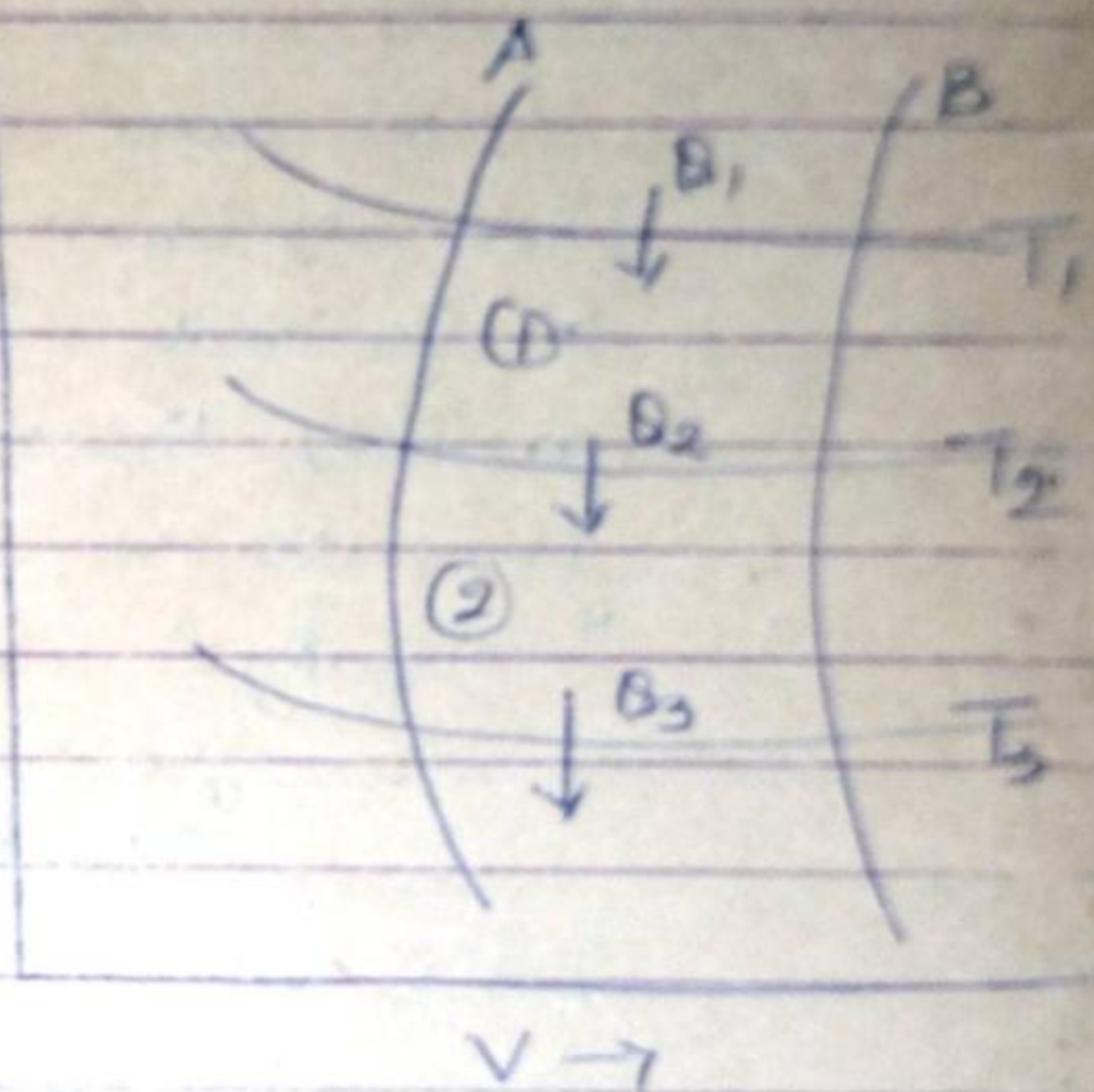
similarly,

$$\frac{Q_2}{T_2} = \frac{Q_3}{T_3}$$

Hence,

$$\frac{Q_1}{T_1} = \frac{Q_2}{T_2} = \frac{Q_3}{T_3} = \text{constant (K)}$$

Thus, in passing from one adiabatic to another by either absorption or rejection of heat Q/T remains constant. This constant ratio is $\frac{Q}{T}$



where, Q_1 = heat absorbed at T_1 ,

Q_2 = heat rejected at T_2

as the change of entropy between the two states corresponding to two adiabatics. If the adiabatics lie indefinitely close to each other, then the change of entropy between the two states is given by

$$dS = \frac{dQ}{T} \rightarrow \text{Mathematical formulation of 2nd law.}$$

In general, the change of entropy in passing from adiabatic A to B corresponding to entropies S_1 and S_2 is

$$\int_{S_1}^{S_2} ds = S_2 - S_1 = \int_A^B \frac{dQ}{T}$$

The above expression is ~~the~~ function of the thermodynamic co-ordinates of a system and refers to the value of the function at the final state minus the value at the initial state. This function is denoted by S and is called the "entropy."

"That thermal ~~properties~~ property of a body which remains constant during an adiabatic reversible process, when no heat is added or to or removed from it is called entropy."

Properties \rightarrow

(i) Entropy is a real physical entity like pressure and temp. but can not be felt like them. It defines adequately the thermodynamic state of any working substance.

(ii) It differentiates two adiabats at temp. differentiates two isotherms. For an adiabatic process $dQ = 0$, and so $dS = 0$, which shows that entropy remains constant during an adiabatic reversible process. That's why the adiabats on the P-V diagram are called "isentropic".

(iii) The entropy is a single valued function of the thermodynamic coordinates defining the state of the system, viz pressure, temp., vol., etc. The energy and its change between the two states is equal to the integral of the quantity dQ/T between the states along any reversible path joining them. dS is an exact differential.

(iv) In a reversible process, the change of entropy is zero, i.e. $\oint \frac{dQ}{T} = 0$. This is Clausius theorem.

(v) The entropy of an isolated system can't decrease, either it remains constant (reversible) or increases (irreversible process).

(vi) From the first law of thermodynamics

$$dQ = dU + PdV$$

$$\therefore dS = \frac{dQ}{T} = \frac{dU + PdV}{T}$$

From this equation we see that entropy is

extensive property. It is proportional to the mass of the substance taken. For if we take m gm of the substance, ~~the~~ $dU = PdV$ and $dV = PdU$, and so, $dS = PdV$.

(vi) Absorption of heat (+ Q) causes increase in entropy and vice-versa.

(vii) ΔS is completed through a reversible path.

(ix) ΔS is expressed in cal/deg $^{\circ}$ C!
1 cal/deg $^{\circ}$ C mole $^{\circ}$ is known as one entropic unit (e.u.)